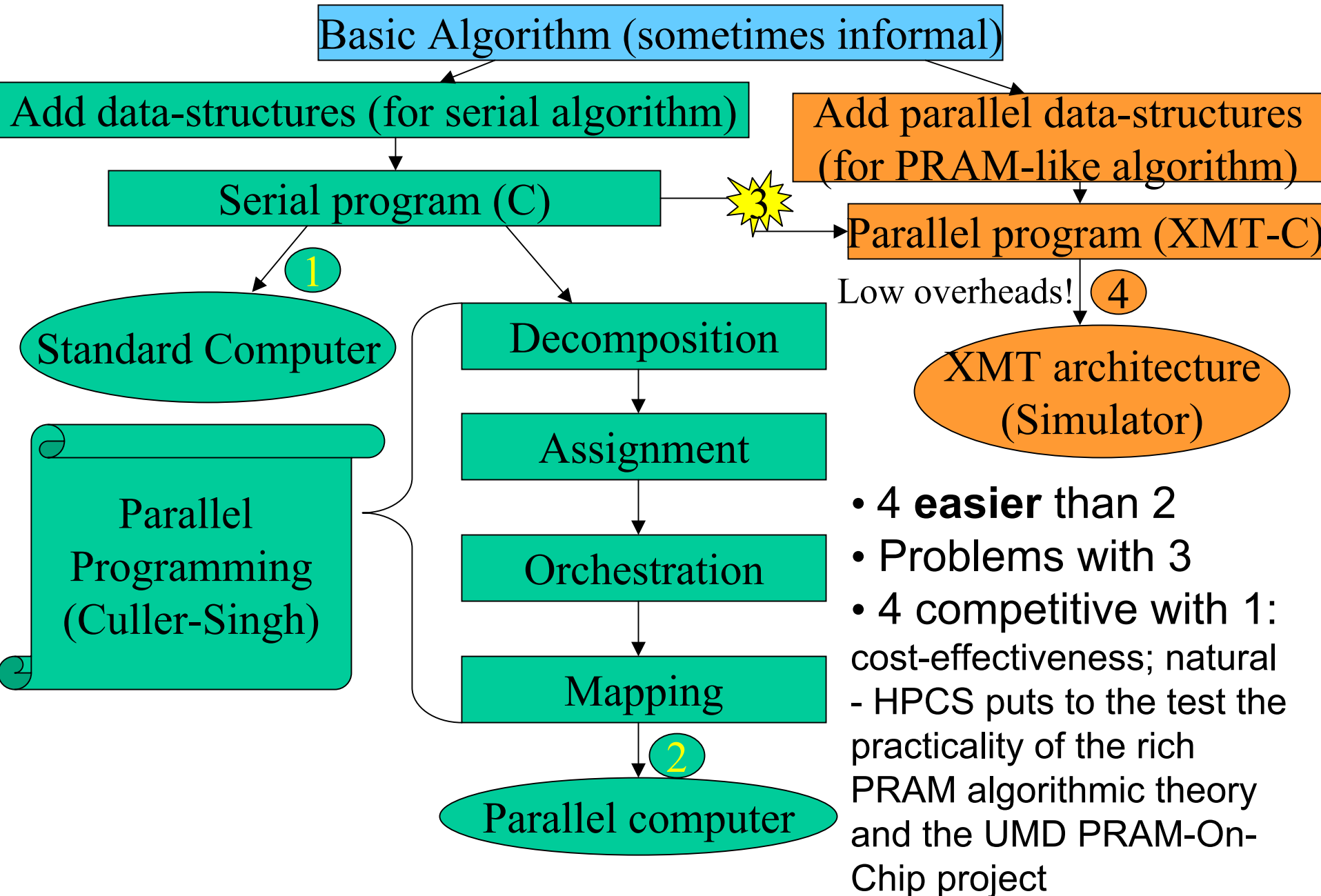
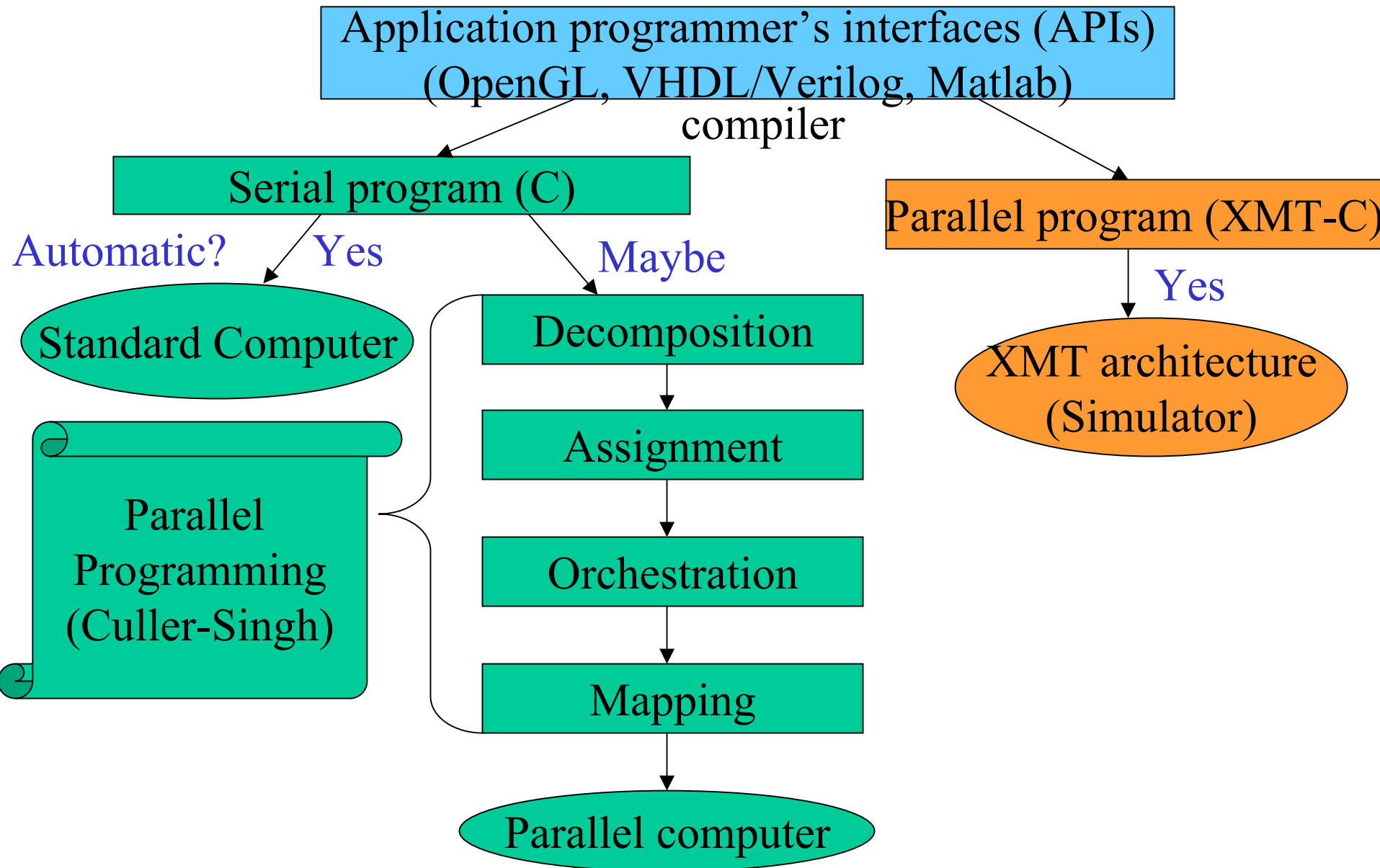


PERFORMANCE PROGRAMMING & ITS PRODUCTIVITY



APPLICATION PROGRAMMING & ITS PRODUCTIVITY



PRAM: parallel random-access virtual machine model

- Ideal PRAM: latency for arbitrary number of memory accesses, same as for one access.
- Premise: algorithmicist states (or, does not hide..) what can be done concurrently.
- Algorithmic knowledge-base 2nd only to serial algorithms.
- Simplest parallel model.

EXAMPLE

Given: (i) All world airports. (ii) For each, all airports to which there is a non-stop flight.

Find: smallest number of flights from DCA to every other airport.

Basic algorithm

Step i : Given all airports that require $i-1$ flights, find (concurrently!) all those that require i flights.

Serial: uses “serial queue”.

- $O(T)$ time; T – total # of flights

Parallel: parallel data-structures.

- Inherent serialization: S - # of parallel steps: $\sim L$. Total # of operations: $\sim T$.

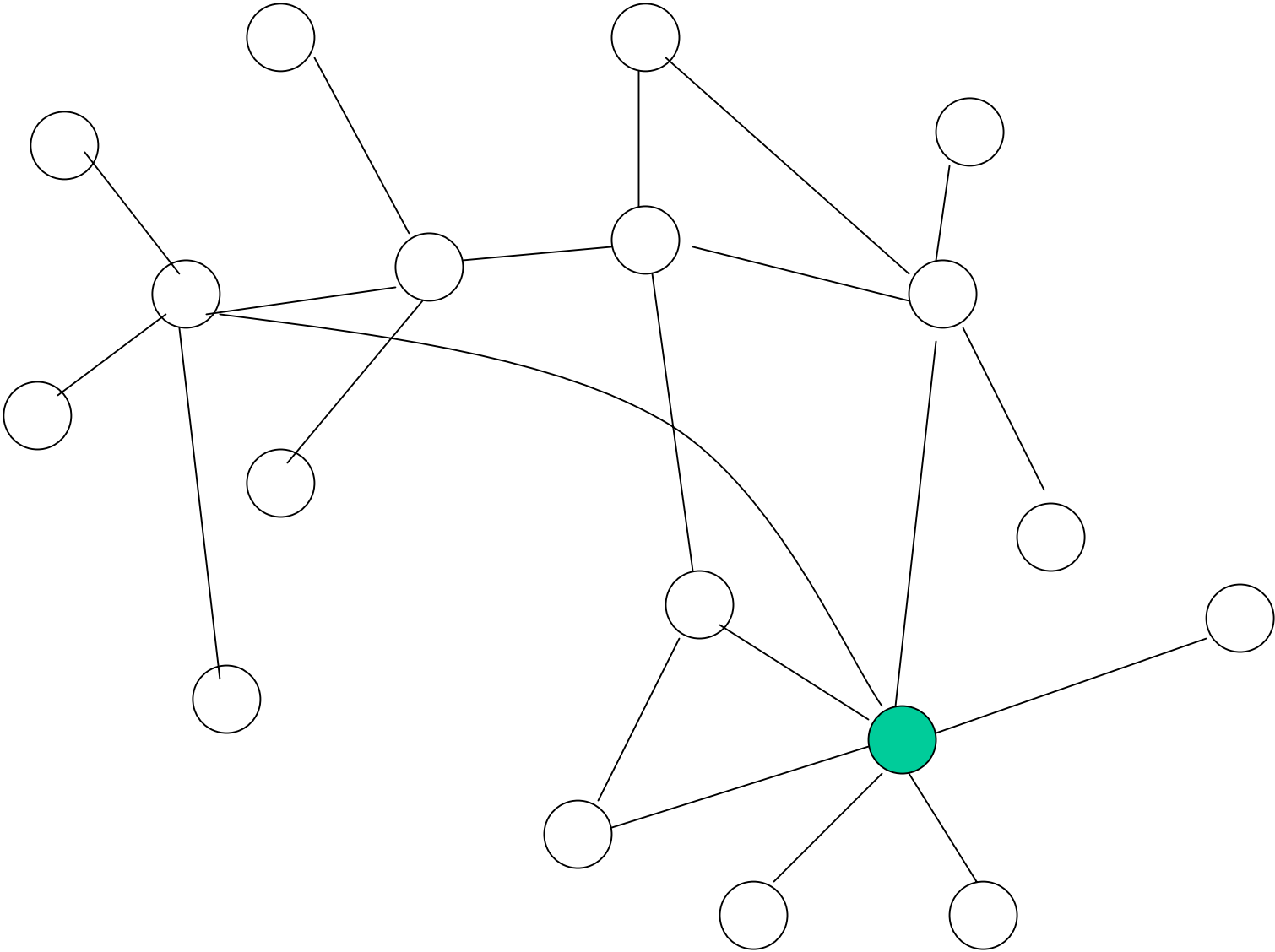
Gain relative to serial: (first cut) $\sim T/S!$

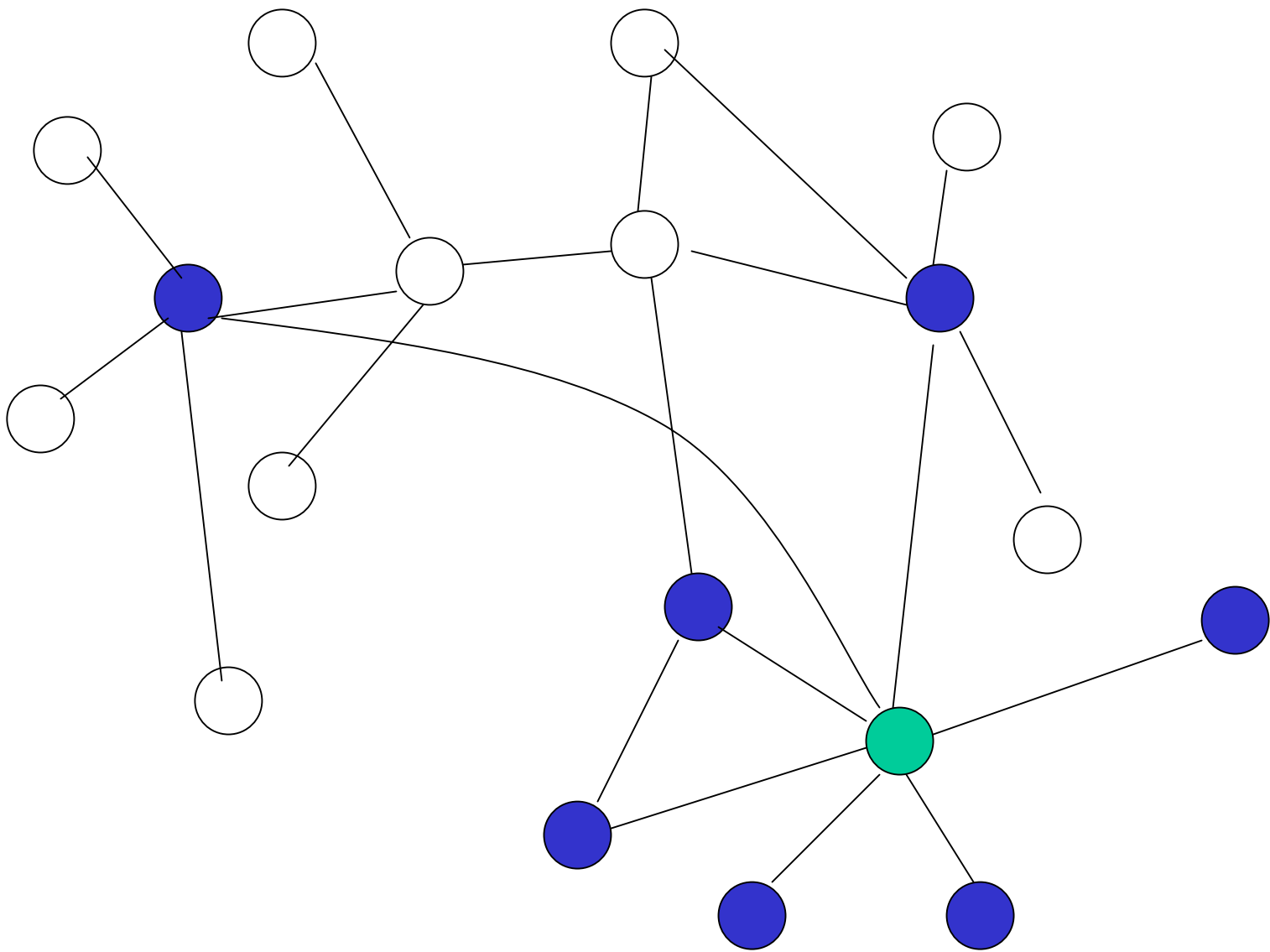
Note: $\log(\text{deg}(G))$ factors in parallel time and # of ops. Still: decisive!

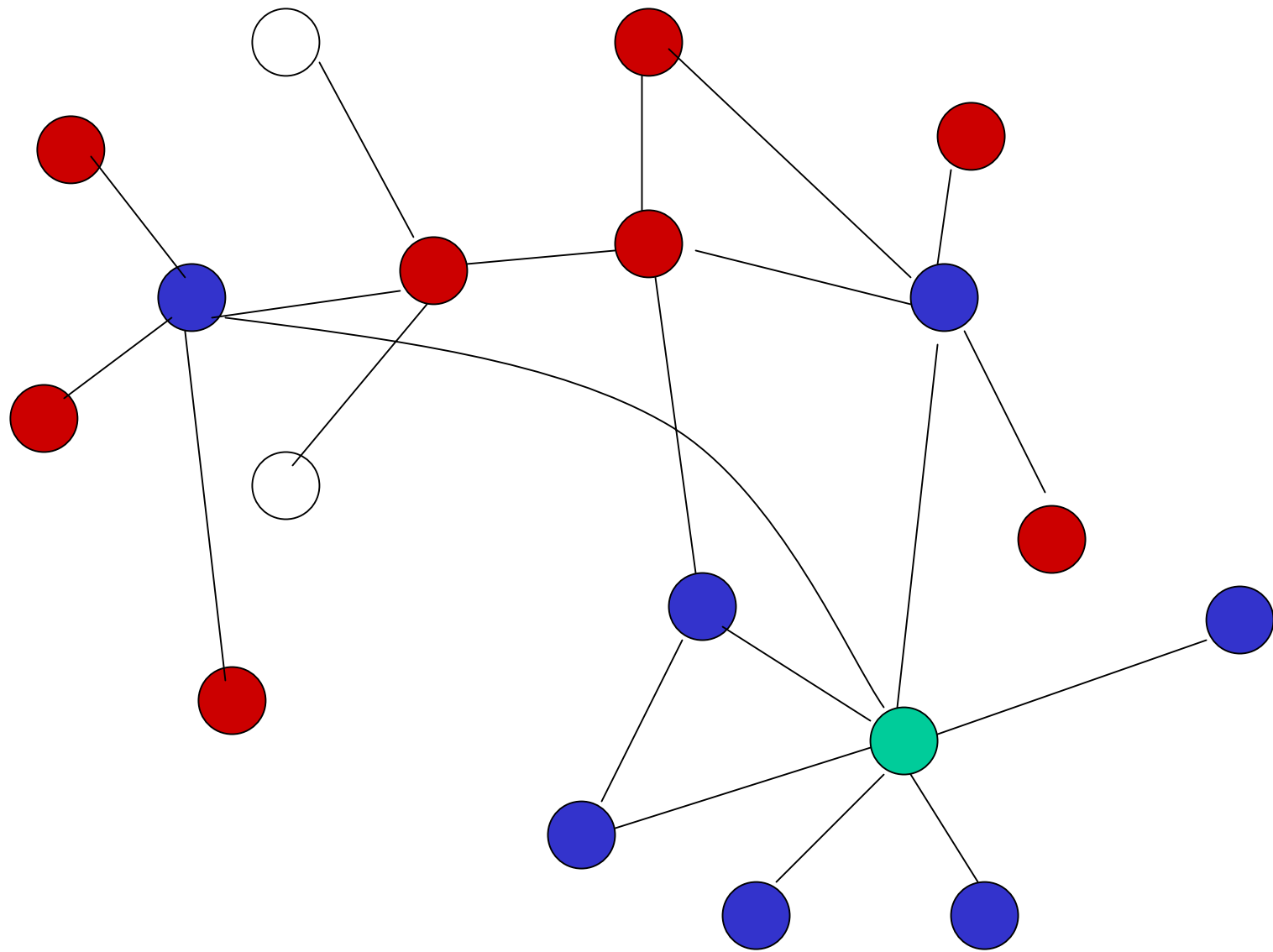
- decisive gain also relative to coarse-grained parallelism

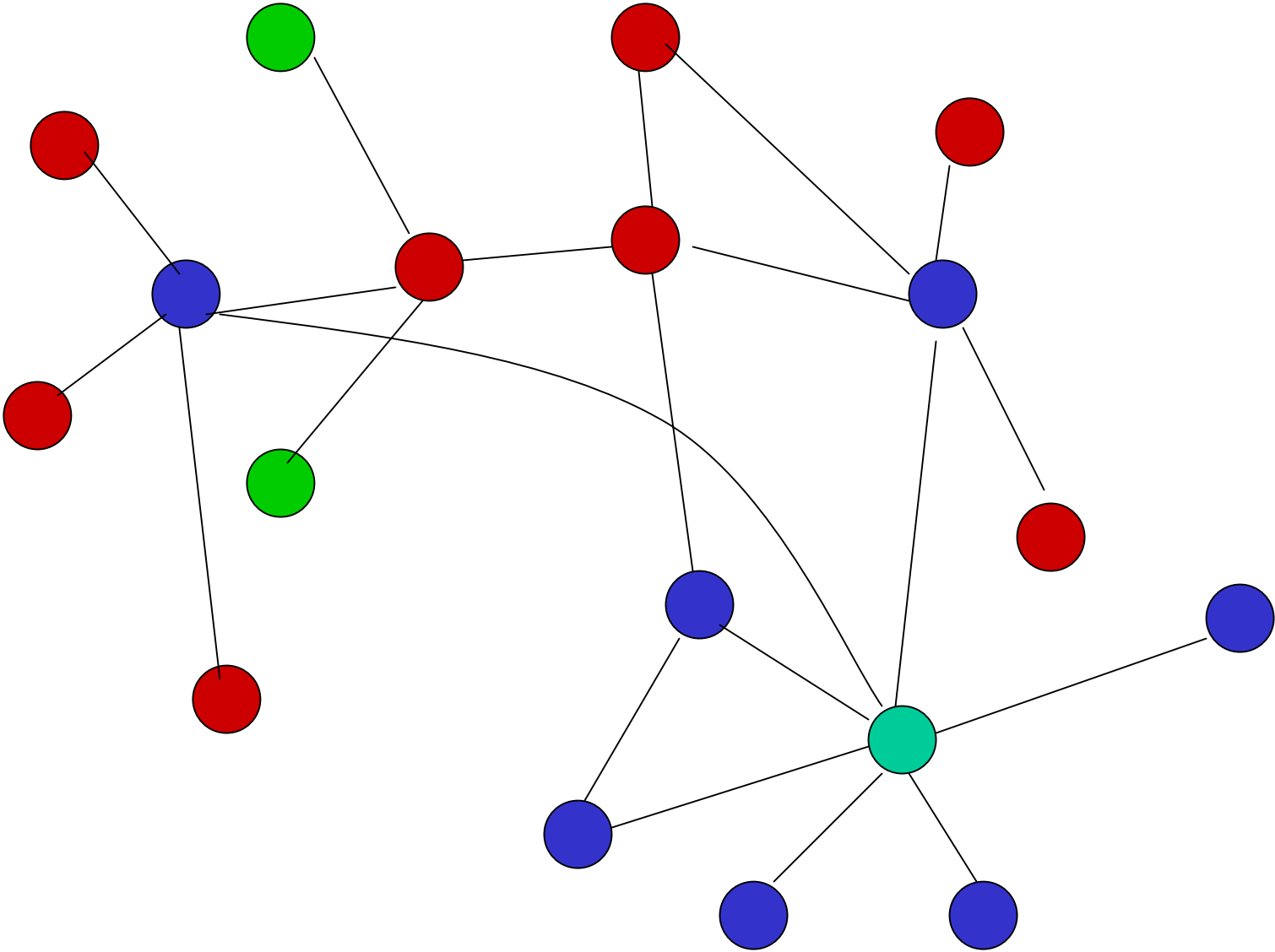
• **Conclusion:**

- Easy to program (natural!)









- Course: **Parallel Algorithmics**, Vishkin@UMD
(CMSC751/ENEE759K Spring 2004)
- Technology: **XMT C (C extension based on PRAM model)**
- Platform: **simulator of XMT architecture**
- Students: **14**
- Assignments: **2**
 - 1.Array compaction**
 - 2.Randomized selection**
- Hypotheses:
 - For many problems, developing a parallel program is more natural than first developing a serial program, then parallelizing
 - XMT C programming is easier than other parallel programming approaches
- Data collection:
 - Data collection scripts capture reason for compile, compile timestamp, source code

- Name: **Array Compaction**
- Development Models: **Transform given serial into XMT**
- Grading Criteria: **not specified to students**
- Description:
 - Compact elements of array A into array D according to binary array C**
 - If $C[i]$ ($0 \leq i \leq N$) is equal to 1 then $A[i]$ is copied into next free element of D**
 - To get the next free element in D a prefix sum (ps) instruction is used.**

- Name: **Randomized Selection**
- Development Models: **Derive a serial and a parallel implementation**
- Grading Criteria: **not specified to students**
- Description:
 - Use **XMT** to implement parallel and serial programs for the following standard (expected linear time) iterative randomized algorithm:
 - pick a random element r**
 - rank it**
 - check for termination**
 - iterate on a subset of the elements.**

Reported speed-ups for a 1024-TCU (thread-control unit) XMT

