

Please hand it in class. If you cannot make it to class, send me email at least two hours before class, and I will give you alternate instructions.

Read Chapter 1, Chapter 7 (except 7.4, 7.6 and 7.8), Chapter 8 (up to and including Section 8.3.2), and the following parts of Chapter 9(up to and including 9.2)

- 1) Download an image of your choice from the internet. Print a copy of it. Apply a 5x5 averaging (“box”) filter to it, and display and print the results. You should find the matlab functions **imshow**, **imfilter**, and **fspecial** to be helpful. Repeat this process with a 10x10 and a 20x20 averaging filter, display and printing the results. You should turn in a total of four images; the original image and the image smoothed by three different filters.
- 2) Show that because the Gaussian in multiple dimensions is “separable”, convolution in two dimensions can be done as two one-dimensional convolutions. How could this result be used to achieve more efficient implementation of two-dimensional convolution?
- 3) Write Matlab functions that will take an image and respectively return the Gaussian and Laplacian pyramids of an image. Your functions should take the scale, σ , of the Gaussian as an input. Use it on the image ‘flowers.tif’, with a value of $\sigma=3$ pixels.

Remarks:

- a. The filter size for the Gaussian should be chosen so that 99% of the energy of the Gaussian is accounted for.
 - b. Choose the number of levels automatically
 - c. Print out your images
- 4 On the same image apply the Canny edge operator in Matlab for different threshold values. Remark on the behavior of the output for different threshold values.